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SEAT No. :

P5925

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**[6142]-611
T.Y. B.Com.
STATISTICS**

**365 f : Business Statistics - II
(2019 Pattern) (Semester - VI)**

Time : 2½ Hours]

[Max. Marks : 50

Instructions to the candidates:

- 1) *All questions are compulsory.*
- 2) *Figures to the right side indicate full marks.*

Q1) A) Attempt the following:

[5×1]

Choose the correct alternative of the following (any five)

- a) If X follows standard normal distribution then $P(X < 2) =$
 - i) $P(X > 2)$
 - ii) $P(X > -2)$
 - iii) $1 - P(X > -2)$
 - iv) $1 - P(|X| > 2)$
- b) The hypothesis stating that average proportion of defective entries in journal is less than 10% is
 - i) left sided hypothesis
 - ii) right sided hypothesis
 - iii) two-sided hypothesis
 - iv) null hypothesis
- c) Let $X \rightarrow N(300, 25)$ then standard deviation is
 - i) 300
 - ii) 12
 - iii) 25
 - iv) 5
- d) To test independence of two attributes with one attribute at 3 levels and another attribute at 4 levels, under null hypothesis distribution is chi-square with degrees of freedom.
 - i) 2
 - ii) 3
 - iii) 1
 - iv) 6
- e) Testing $H_0 : P = 0.5$ against $H_1 : P \neq 0.5$ the critical region is
 - i) left tailed
 - ii) right tailed
 - iii) two sided
 - iv) neither (i) or (ii)
- f) Simple random sampling is used when the population is:
 - i) Homogeneous
 - ii) Heterogeneous
 - iii) Discrete
 - iv) Continuous
- g) The _____ sum of squares measures the variability of the observed values around their respective block means.
 - i) Error
 - ii) Total
 - iii) Treatment
 - iv) Block

P.T.O.

- B) State whether the following statements are True or False. [5×1]
- Probability of committing type II error is called as level of significance.
 - Selecting a college representative when college is multidisciplinary is systematic sampling.
 - For certain normal distribution mean is 45 and mode is 58.
 - Long form of ANOVA Analysis of variance.
 - Large sample tests are also called as exact test.

Q2) Write short notes (any two) [5 each]

- Stratified sampling
- Normal distribution
- Analysis of Variance (ANOVA)
- Chi-square test

Q3) A) a) Let X be normally distributed random variable with parameters mean = 40 and variance = 1 that is $X \sim N(40, 1)$. [4]

Calculate:

- $P(X \geq 42)$
- $P(39 \leq X \leq 41)$

b) From a locality 200 persons were randomly selected and the information regarding educational achievements was collected. The Result is as follows. [4]

	Literate	Illiterate
Men	20	80
Women	30	70

Examine whether gender and education are associated.

(Given : $\chi_{21,0.05} = 3.841$)

- B) a) Fill in the blanks of the following ANOVA tables marked “–” [4]

Source of variation	Degrees of freedom	Sum of squares	Mean Sum of squares	Variance Ratio
Between shifts	2	41.74		
Between workers	4			
Error		106.79		
Total	14	496.96		

Test the homogeneity of machine shifts and workers. Use 5% level of significance

- b) On the basis of the following data can we say that there is significant difference in average reading rate of boys and girls: (use 5% level of significance) [3]

	Sample size	Average reading rate	Variance
Girls	100	206	450
Boys	100	191	450

- Q4) A) a) The PI (pulsality index) of 10 patients before and after certain event are given below: [4]

Before	0.45	0.54	0.48	0.62	0.48	0.60	0.45	0.46	0.35	0.40
After	0.60	0.65	0.63	0.78	0.63	0.80	0.69	0.62	0.68	0.50

Test whether PI differ significantly? Use 5% level of significance.

[Given $t_{9,0.05} = 2.262$]

- b) In a certain area A, in a sample of 1000 persons 556 persons were found to be vegetarian. Where as in a certain area B, in a sample of 800 persons 330 persons were found to be vegetarian. Do these facts reveal a significant difference between the two areas with respect to food habits? (Use 5% level of significance) [4]
- B) a) In a population of size 5 the values are 12, 23, 56, 18, 17. Draw all possible sample of size 2 using SRSWOR. Verify that sample mean is an unbiased estimator of population mean. [4]
- b) Define Normal probability distribution, also state additive property of two independent normal variates. [3]

