

Total No. of Questions : 8]

**P3308**

SEAT No. :

[Total No. of Pages : 3

[5670]-577

**B.E. (Electrical)**

**CONTROL SYSTEM - II**

**(2015 Course) (Semester - I) (403145)**

*Time : 2½ Hours]*

*[Max. Marks :70*

*Instructions to the candidates:*

- 1) *Answer any one question from each pair of questions: Q.1 & Q.2, Q.3 & Q.4, Q.5 & Q.6 Q.7 & Q.8*
- 2) *Figures to the right side indicate full marks.*

- Q1)** a) What are the practical aspects of choice of sampling rate? [6]  
b) Obtain the Z-transform of the function [6]

$$F(z) = \frac{Z + 1}{Z^2 + 0.3Z + 0.02}$$

- c) Explain with proper diagram, correspondence between the primary strip in the S -plane and the unit circle in Z-plane. [8]

OR

- Q2)** a) Explain concept of sampling and reconstruction process. [6]  
b) State Initial value theorem. Find initial value of [6]

$$X(z) = \frac{Z^2}{6Z^2 - 4Z - 1}$$

- c) Explain the concept of stability analysis of closed loop system using Jury's stability test and Bilinear test. [8]

- Q3)** a) Derive an expression for state model of armature control DC motor. [6]  
b) Obtain the state model for a system describe by the differential equation [6]

$$\frac{d^3 y(t)}{dt^3} + 5 \frac{d^2 y(t)}{dt^2} + \frac{dy(t)}{dt} + 2y(t) = 2u(t)$$

- c) Explain how to obtain state model by direct decomposition of transfer function. [6]

OR

*P.T.O.*

**Q4) a)** Explain the procedure to obtain state model of system using parallel programming [6]

b) Obtain transfer function from given state model [6]

$$\dot{X}(t) = \begin{bmatrix} -2 & -3 \\ 4 & 2 \end{bmatrix} X + \begin{bmatrix} 3 \\ 5 \end{bmatrix} u(t). \text{ and } Y = [1 \quad 1]X$$

c) Define the terms related to state space: State, state vector, state equation and output equation. [6]

**Q5) a)** Describe the evaluation of state transition matrix by Laplace transform method and infinite series method. [6]

b) Diagonalization the matrix [10]

$$A = \begin{bmatrix} 0 & 1 & 0 \\ 3 & 0 & 2 \\ -12 & -7 & -6 \end{bmatrix}$$

OR

**Q6) a)** Obtain the solution of Non-homogeneous state equation. [6]

b) Determine the state transition matrix for the system [10]

$$\dot{X}(t) = \begin{bmatrix} -2 & 3 \\ 0 & -3 \end{bmatrix} X(t)$$

**Q7) a)** Explain methods of testing controllability of control system. [6]

b) Design state feedback gain matrix K for the given system such that desired closed loop poles are at -2, -1+j2 and -1-j2 [10]

$$A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ 0 & -2 & -3 \end{bmatrix}; \quad B = \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}; \quad C = [1 \quad 0 \quad 0]$$

OR

- Q8) a) Describe any two methods of evaluating state feedback gain matrix. [6]  
b) Evaluate controllability and observability of the given system. [10]

$$\begin{bmatrix} X1^\circ \\ X2^\circ \\ X3^\circ \end{bmatrix} = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -9 & -11 & -6 \end{bmatrix} x(t) + \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix} u(t)$$

$$Y(t) = [-10 \quad -10 \quad -5]x(t)$$

