## S.E. (Electricar Engineering)

 NETWORK ANALYSIS(2019 Pattern) (Semester - IV) (203147)
Time: $2 \frac{1}{2}$ Hours]
[Max. Marks: 70
Instructions to the candidates:

1) Solve Q1 or Q2, Q3 or Q4, Q5 or Q6, Q7or Q.8.
2) Figures to the right indicate full marks.
3) Neat diagrams must be drawn wherever necessary.
4) Assume suitable additional data, if necessary.
5) Use of non-programmable calculator is allowed.

Q1) a) Derive the expressions for voltage across resistance and voltage across inductor in series RL circuit connectedio a d.c. voltage V for $\mathrm{t}>0$. Assume that initial current through inductor is zero.
b) In the network shown in Fig. . switeh is closed at $t=0$. Before closing the switch capacitor was in uncharged state. Find the values of $i\left(0^{+}\right), \frac{d i\left(0^{+}\right)}{d t}, \frac{d^{2} i\left(0^{+}\right)}{d t}$


Fig. 1
c) For the network shown in Fig. 2, steady state is reached with switch closed. The switch is opened at $t=0$. Obtain expressionsfor $i_{L}(t)$ for $t>0$.

Q2) a) Derive the expressions for voltage across resistance and voltage across capacitor in series RC circuit connected to a d.c. voltage V for $\mathrm{t}>0$. Assume that initial voltage across capacitor is zero.
b) In the network shown in Fig. 3. switch is closed at $\mathrm{t}=0$. Assume initial current of inductor to besero. Find the values of

$$
i\left(0^{+}\right), \frac{d i\left(0^{+}\right)}{d t} \frac{a^{2} i\left(0^{+}\right)}{d t} .
$$

c) The switch in the circuitshown in Fig. 4 is moved from position 1 to 2 at $t=0$. Find expression for $V$ ( $t$ for $t>0$.

Q3) a) Express following functions mathematically along with waveforms:
ii) Ramp function. Unit Ramp function, Délayed Unit Ramp function
b) In the network shown in Fig. 5, switesh is moved from position a to b at $\mathrm{t}=0$. Just before this switching the infitial conditions were $i\left(0^{-}\right)=2 \mathrm{~A}$ and $\mathrm{V}_{\mathrm{c}}\left(0^{-}\right)=2 \mathrm{~V}$. Find the expression for current $\mathrm{i}(\mathrm{t})$ using Laplace Transform method. Assume $\mathrm{R}=3 \Omega, \mathrm{~L}=1 \mathrm{H}, \mathrm{C}=0.5 \mu \mathrm{~F}, \mathrm{~V}_{1}=5 \mathrm{~V}$.


Fig. 5
c) In the network shown in Fig. 6, switch is moved from position 1 to 2 at $\mathrm{t}=\mathrm{q}^{2}$ : Find $i(t), \frac{d i(t)}{d t}, \frac{d^{2} i(t)}{d t^{2}}$ at $\mathrm{t}=0^{+}$by Laplace Transform approach.


Fig. 6

OR
Q4) a) State any six properties of Laplace Transform.
b) In the network shown in Fig. 7, the switch is movedffromposition a to b at $t=0$. Determine expression for $\mathrm{i}(\mathrm{t})$ using Laptace Transform approach.

c) In the network shown in Fig. 8, switef is moved from position 1 to 2 at $t=0$. Find expression for $i(t)$ by Laplace Transform approach.


Q5) a) Design constant K low pass filter having cut-off frequency 1 kHz and design impedance $400 \Omega$ in both the T and $\pi$ configurations.
b) Find Z parameters of the network shown in Fig.9.

c) Derive ' $h$ ' parameters in terms of ' $Z$ ' parameters for a two port network.

Q6) a) Design constant k higb pass filter having cut-off frequency $1000 \not \mathrm{~Hz}$ and design impedance $1000 \Omega$ in both the T and $\pi$ configurations\%.
b) Find $Y^{\prime}$ parameters of the network shown in Fig. 10.

c) Derive ' $Z$ ' parameters in terms of ' $Y$ ' parameters for a two port network.

Q7) a) Define various network functions of Qotwo port network.
b) Determine Driving Point Admittance function $\mathrm{Y}_{11}(\mathrm{~s})$ for the network in Fig. 11 and hence draw pole zero plot of $\mathrm{Y}_{11}(\mathrm{~s})$.

c) Plot Poles and Zeros for the network function $V(s)=\frac{s+20}{s(s+10)}$ and obtain time domain response.

Q8) a) State restrictions on Poles and Zeros locations for transfer functions and driving point function.
b) Determine Driving Point mpedance function $\mathrm{Z}_{11}(\mathrm{~s})$ and Driving Point Admittance function $\mathrm{Y}_{11}(\mathrm{~s})$ for the network in Fig. 12.

Fig. 12
c) Plot Poles and Zeros for the network function $P(s)=\frac{10(s+2)}{s(s+5)}$ and obtain time domain response.

